Year 11		Term 1														
Unit Title	Gradients and lines Non-linear graphs				Using graphs			Expanding and factorising			Changing the subject		Functions			
Approximate Number of Lessons	3			3		3		3				3		3		
Curriculum Content Higher content in bold	<ul> <li>Equations of lines parallel to the axis</li> <li>Plot and draw straight lines</li> <li>Interpret y = mx + c</li> <li>Find the equation of a line from a graph, given one point and gradient, or two points</li> <li>Determine whether a point is on a line</li> <li>Solve linear simultaneous equations</li> <li>Recognise and find equations of perpendicular lines</li> </ul>		nt rd c s a lo ts e f F th c	<ul> <li>quadratic, cubic and reciprocal graphs</li> <li>Recognise graph shapes</li> <li>Identify and interpret roots and intercepts</li> <li>Understand and use exponential graphs</li> <li>Find and use the equation of a circle</li> </ul>			<ul> <li>Reflect shapes</li> <li>Construct and interpret conversion and other real-life straight-line graphs</li> <li>Interpret and construct distance/time, speed/time and piece- wise graphs</li> <li>Recognise and interpret graphs that illustrate direct and inverse proportion</li> <li>Find approximate solutions to equations using graphs</li> <li>Estimate the area under a curve</li> </ul>		<ul> <li>Expand and factorise with a single bracket</li> <li>Expand binomials</li> <li>Factorise quadratics expressions, including where a ≠ 1</li> <li>Solve equations equal to zero</li> <li>Solve quadratic equations by factorisation</li> <li>Complete the square of an expression</li> <li>Use the quadratic formula to solve an equation</li> </ul>			t cs ≠ Jal	<ul> <li>Solve linear equations and inequalities</li> <li>Form and solve equations and inequalities in the context of shape</li> <li>Change the subject of a formula, including where the subject appears more than once</li> <li>Solve equations by iteration</li> </ul>		<ul> <li>Use function machines</li> <li>Substitute into expressions and formulae</li> <li>Use function notation</li> <li>Work with composite and inverse functions</li> <li>Graphs of quadratic functions</li> <li>Solve quadratic inequalities</li> <li>Understand and use trigonometric functions</li> </ul>	
	Identification and focused teaching on weaker topic areas from weekly past paper practice, accounting for approximately 4 lessons a fortnight.								ight.							
Links to prior learning	<ul> <li>Plotting coordinates and using graphs</li> <li>Parallel and perpendicular lines</li> <li>Substitution</li> </ul>		• T • R • Ir • N	<ul><li> Table of values</li><li> Reciprocal</li></ul>		•	<ul> <li>Transformations</li> <li>Straight line graphs</li> <li>Problems involving direct and inverse proportion</li> <li>Area of rectangles, triangles and trapeziums</li> </ul>		<ul> <li>Expanding and factorising expressions</li> <li>Identify factors</li> <li>Sum and product</li> <li>Coefficients</li> <li>Substitution</li> </ul>			•	<ul> <li>equations</li> <li>Recognise inequality signs</li> <li>Recall a range of formulae</li> </ul>		<ul> <li>Function machines</li> <li>Substitution into expressions</li> <li>Inputs and outputs</li> <li>Quadratic functions</li> <li>Trigonometric functions</li> </ul>	
Cultural Capital Opportunities	Looking forward to Key Stage 5 Maths															
Assessment Focus	/	/	Paper 1.1.1 (non-calc)	Paper 1.1.2 (non-calc)	Pape 1.2.1 (calc	1	Paper 1.2.2 (calc)	Paper 1.3.1 (calc)	1.3	aper 3.2 alc) (	Paper 2.1.1 (non-calc)	Pap 2.1 (non-c	.2		Catch up	
Knowledge Organiser		KS4 GCSE Mathematics <b>Foundation Tier</b> KS4 GCSE Mathematics <b>Higher Tier</b>														

From Christmas to May/June, lessons are more tailored to the needs of the respective groups, as well as focusing on revision for the January Mock and addressing gaps identified by past paper practice.



## KS4 GCSE Mathematics Foundation Tier

Here is pretty much all the Foundation Tier content we could fit onto an A3 sheet of paper, including all the formulae you are required to know for GCSE. An  $\rightarrow$  points to an illustrative example. The codes refer to the DfE subject content. Pin this to a wall, keep it on your desk, carry it in your bag, make notes on it (sorry, don't take it into the examination).

1

12

1

1

p = 0

p = 0.5

p = 1

1

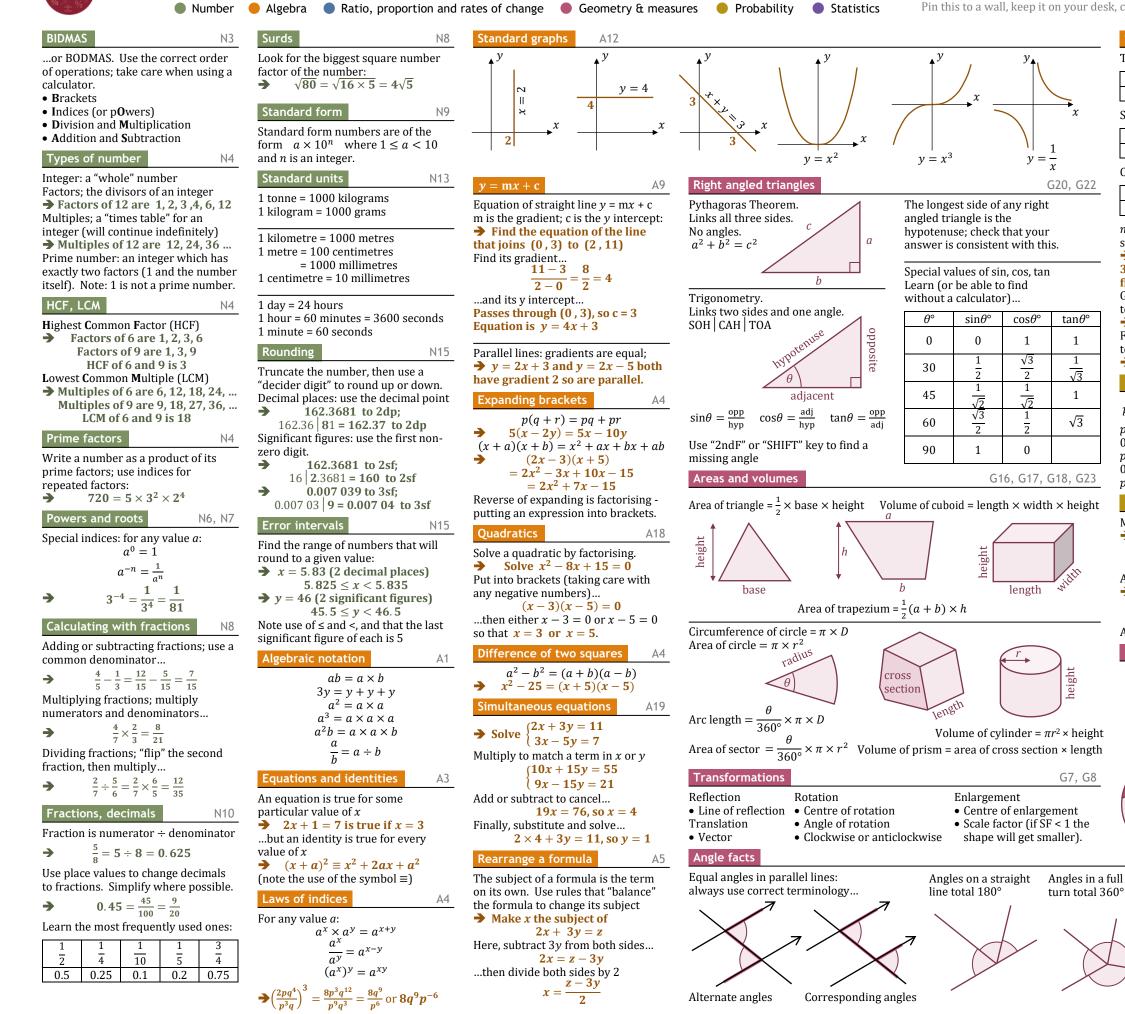
1

 $\sqrt{3}$ 

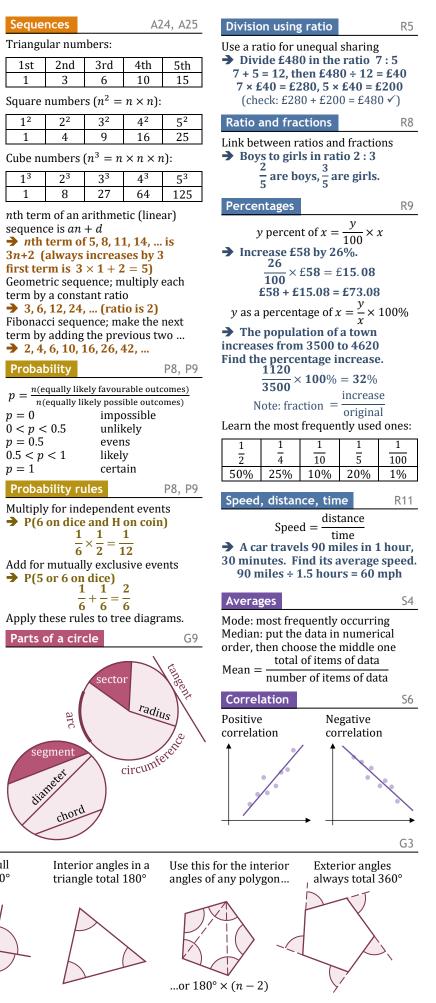
1

 $\sqrt{3}$ 

G7, G8



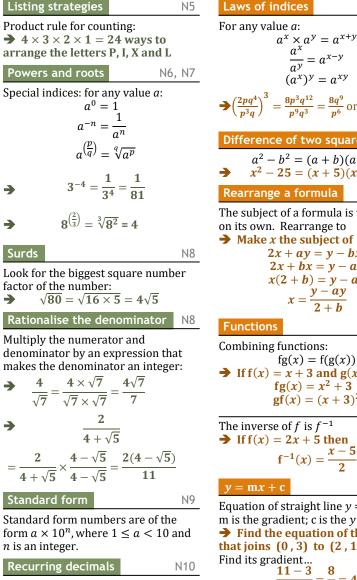
Mildenhall College Academy





# **KS4 GCSE Mathematics Higher Tier**

Here is pretty much all the Higher Tier content we could fit onto an A3 sheet of paper, including all the formulae you are required to know for GCSE. An  $\rightarrow$  points to an illustrative example. The codes refer to the DfE subject content. Pin this to a wall, keep it on your desk, carry it in your bag, make notes on it (sorry, don't take it into the examination)...



Make a recurring decimal a fraction: n = 0.236(two digits are in the recurring pattern, so multiply by 100) 100n = 23.6(this is the same as  $23.6\dot{3}\dot{6}$ )  $99n = 23.6\dot{3}\dot{6} - 0.2\dot{3}\dot{6} = 23.4$ 23.4 234 13  $n=\frac{-1}{99}$  $\frac{1}{990} = \frac{1}{55}$ N15

### Error intervals

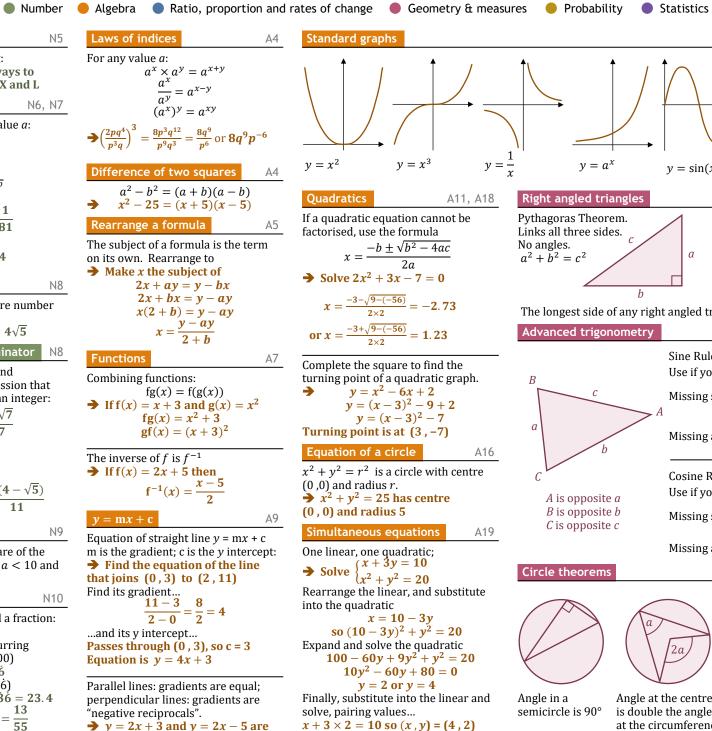
Find the range of numbers that will round to a given value:  $\Rightarrow$  x = 5.83 (2 decimal places)  $5.825 \le x < 5.835$  $\Rightarrow$  y = 46 (2 significant figures)  $45.5 \le y < 46.5$ Note use of  $\leq$  and <, and that the last significant figure of each is 5 A3

#### Equations and identities

An equation is true for some particular value of *x* → 2x + 1 = 7 is true if x = 3

...but an identity is true for every value of x  $(x+a)^2 \equiv x^2 + 2ax + a^2$ 

(note the use of the symbol  $\equiv$ )



parallel to each other; y = 2x + 3and  $y = -\frac{1}{2}x + 3$  are perpendicular

## Transformations of curves A13

Starting with the curve y = f(x): Translate  $\binom{0}{x}$  for y = f(x) + aTranslate  $\begin{pmatrix} -a \\ 0 \end{pmatrix}$  for y = f(x + a)Reflect in *x* axis for y = -f(x)Reflect *y* axis for y = f(-x)

## Velocity - time graph

Gradient = acceleration (you may need to draw a tangent to the curve at a point to find the gradient); Area under curve = distance travelled. **>** 2, 4, 6, 10, 16, 26, 42, ...

A15

$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $y = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $y = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $y = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$ $y = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$	4	Standard graphs		•			ation	
QuadraticA11. A18Right angled triangles1If a quadratic quadron cannot be factorised, use the formulaTrigonometry. Links two sides and one angle. Solid [CAH] TOATrigonometry. Links two sides and one angle. Solid [CAH] TOA2 $x = \frac{-b \pm \sqrt{2^2 - (3c)}}{2c^2} = -2.73$ $or x = \frac{-b + \sqrt{2^2 - (3c)}}{2c^2} = 1.23The longest side of any right angled triangles is the hypotenuse; check that you find a missing angley = x^2 - 6x \pm 2y = (x - 3)^2 - 7The longest side of any right angled triangles is the hypotenuse; check that you find a missing angleSpecial values of sin costsolution to a quadratic graph.y = (x - 3)^2 - 7 \pm 2y = ($						$\Rightarrow S$ the i $\Rightarrow Start$ $x_2 =$ $x_3 =$	olve $x^3$ + teration t with $x_1$ = $\sqrt[3]{6 \times (-)}$ = $\sqrt[3]{6 \times (-)}$	- 6x = -2.
$ \frac{1}{2} \text{ fragmatrix equation cannot be factorised, use the formula is all three sides.} No angles.   x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \\ y = 5 \text{ solve } 2x^2 + 3x - 7 = 0 \\ x = \frac{-2 + \sqrt{2^2 - (5ac)}}{2ac^2} = 1.23 \\ or x = \frac{-4 + \sqrt{2^2 - (5ac)}}{2ac^2} = 1.23 \\ or x = \frac{-4 + \sqrt{2^2 - (5ac)}}{2ac^2} = 1.23 \\ or x = \frac{-4 + \sqrt{2^2 - (5ac)}}{2ac^2} = 1.23 \\ v = (x - 3)^2 - 7 \\ v = (x - $	4	$y = x^2 \qquad \qquad y = x^3 \qquad \qquad y = y^3$	$\frac{1}{x}$ $y = a^x$	$y = \sin(x^{\circ})$ $y = \cos(x^{\circ})$	$y = \tan(x^{\circ})$			
$\frac{1}{2}  \text{factorised, use the formula} \\ x = -\frac{b \pm \sqrt{b^2 - 4ac}}{2x^2}$ $\frac{b \pm \sqrt{b^2 - 5b}}{2x^2} = -2.73$ $\frac{b \pm \sqrt{b^2 - 5b}}{2x^2} = 1.23$ $\frac{b \pm \sqrt{b^2 - 5b}}{2x$		Quadratics A11, A18	Right angled triangles					
$ solve 2x^{2} + 3x^{-7} = 0 $ $ x = \frac{-3x^{-9}(-56)}{2x^{-2}} = -2.73 $ or $x = \frac{-3x^{-2}(-56)}{2x^{-2}} = -2.73 $ Intermolog and solve the quadratic line of the quadratic l	5	If a quadratic equation cannot be factorised, use the formula	Pythagoras Theorem. Links all three sides. No angles.	Links two sides SOH   CAH   TOA	-	opp		n
$x = \frac{1}{2} + \frac{2}{2} - \frac{2}{2} + \frac{2}{2} - $				$\sin\theta = \frac{\mathrm{opp}}{\mathrm{hyp}}$ cos	$s\theta = \frac{\mathrm{au}}{\mathrm{hyp}}  \tan\theta =$	$=\frac{opp}{adj}$		
$\frac{1}{2}  \frac{1}{2}  \frac{1}$		2×2						nt v
$ \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c} \begin{array}{c}$		or $x = \frac{-3+\sqrt{9-(-56)}}{2\times 2} = 1.23$	Advanced trigonometry					
$y = (x - 3)^{2} - 7$ Turning point is at (3, -7) <b>Equation of a circle</b> A16 $x^{2} + y^{2} = r^{2}$ is a circle with centre (0, 0) and radius r. $x^{2} + y^{2} = r^{2}$ is a circle with centre (0, 0) and radius r. $x^{2} + y^{2} = r^{2}$ is a circle with centre (0, 0) and radius r. $x^{2} + y^{2} = 25$ has centre (0, 0) and radius r. $x^{2} + y^{2} = 25$ has centre (0, 0) and radius r. $y^{2} - (ay + 3)^{2} = 10$ Rearrange the linear, and substitute into the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and substitute into the linear and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ Rearrange the linear, and solve the quadratic $100 - 60y + 9y^{2} + y^{2} = 20$ $10y^{2} - 60y + 9y$	7	turning point of a quadratic graph.		Use if you are given an angle-		Learn (or be	able to fin	nd
Turning point is at $(3, -7)$ Equation of a circle A16 $x^{2} + y^{2} = r^{2}$ is a circle with centre (0, 0) and radius r. $\Rightarrow x^{2} + y^{2} = 25$ has centre (0, 0) and radius r. $\Rightarrow x^{2} + y^{2} = 25$ has centre (0, 0) and radius r. $\Rightarrow x^{2} + y^{2} = 25$ has centre (0, 0) and radius r. $\Rightarrow Sotve \begin{cases} x^{+} + y^{2} = 20\\ x^{2} + y^{2} = 20\\ x^{+} + y^{2} = 20 \end{cases}$ Missing angle: $\cos A = \frac{b^{2} + c^{2} - 2bcosA}{2bc}$ Circle theorems Circle theorems Circle theorems Angle at the centre $\sin a \ a \ b \ b \ b \ c \ c \ c \ c \ c \ c \ c$				$A$ $\sin A$ $\sin A$	$\sin B = \sin C$	θ° s	in $ heta^\circ$ co	ost
$\frac{quation of a circle A16}{x^2 + y^2 = r^2 is a circle with centre (0, 0) and radius r. \frac{30}{x^2 + y^2 = r^2 is a circle with centre (0, 0) and radius r. \frac{30}{x^2 + y^2 = r^2 is a circle with centre (0, 0) and radius r. \frac{30}{x^2 + y^2 = r^2 is a circle with centre (0, 0) and radius r. \frac{30}{x^2 + y^2 = r^2 - a^2} \frac{30}{45} = \frac{1}{42} = \frac{4}{32} \frac{45}{45} = \frac{1}{42} = \frac{1}{42} \frac{45}{12} = \frac{1}{42} = \frac{1}{42} \frac{45}{12} = \frac{1}{42} = \frac{1}{42} = \frac{1}{42} \frac{1}{45} = \frac{1}{42} = \frac{1}{42$			a	Missing angle: $\frac{\sin A}{\sin A} = \frac{1}{2}$	sinB _ sinC	0	0	1
$x^{2} + y^{2} = r^{2}$ is a circle with centre (0, 0) and radius r. (0, 0) and radius r. (0, 0) and radius r. (0, 0) and radius r. (0, 0) and radius r. (1, 0) and radiu	_	Equation of a circle A16	b	aa	b c	30		√3
$\begin{array}{c} 4x^2 + y^2 = 25 \text{ has centre} \\ (0, 0) \text{ and radius 5} \\ (0, $			C	Cosine Rule		30		2
$\begin{array}{c} (0,0) \text{ and radius 5} \\ \hline (0,0)  and r$		(0,0) and radius r. $r^2 + v^2 = 25$ has centre	A is opposite $a$	Use if you can't use the sine r	rule		$\sqrt{2}$	$\sqrt{2}$
Simultaneous equations A19 Circle theorems Missing angle: $\cos A = \frac{b^2 + c^2 - a^2}{2bc}$ 90 1 0 Missing angle: $\cos A = \frac{b^2 + c^2 - a^2}{2bc}$ 90 1 0 90 1 0	9	(0, 0) and radius 5	B is opposite b	Missing side: $a^2 = b^2 + a^2$	$c^2 - 2bc\cos A$	60	$\frac{\sqrt{3}}{2}$	1
Solve $\begin{cases} x + 3y = 10 \\ (x^2 + y^2 = 20) \end{cases}$ Rearrange the linear, and substitute into the quadratic $x = 10 - 3y$ so $(10 - 3y)^2 + y^2 = 20$ Expand and solve the quadratic $100^2 - 60y + 90^2 + y^2 = 20$ $10y^2 - 60y + 80 = 0$ $y = 2 \text{ or } y = 4$ Finally, substitute into the linear and solve, pairing values Angle in a solve, pairing values Ant term of 5, 8, 11, 14,<		Simultaneous equations A19	C is opposite c	_	$+ c^2 - a^2$			
<b>Circle theorems</b> <b>For Solve</b> $\{x^2 + y^2 = 20$ Rearrange the linear, and substitute into the quadratic x = 10 - 3y, $so (10 - 3y)^2 + y^2 = 20$ Expand and solve the quadratic $100 - 60y + 9y^2 + y^2 = 20$ $10y^2 - 60y + 80 = 0$ y = 2  or  y = 4 Finally, substitute into the linear and solve, pairing values $x + 3 \times 2 = 10$ so $(x, y) = (4, 2)$ $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ <b>Angle in a</b> $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ <b>Angle in a</b> sequences $bh + c$ $\Rightarrow$ nth term of 5, 8, 11, 14, is $3h + 2$ (always increases by 3 first term is a quadratic sequence is $an^2 + bh + c$ $\Rightarrow$ First three terms of $n^2 + 3n - 1$ are 3, 9, 17, Geometric sequence; multiply each term by a constant ratio $\Rightarrow$ 2, 6, 10, 2, 6, 2, $d_1 \Rightarrow 2, 2, 4, 6, 10, 2, 6, 2, 4,, (ratio is 2)$ at Fibonacci sequence; make the next term by a doiling the previous two $d_2 \Rightarrow 2, 4, 6, 10, 2, 6, 2,$ (ratio is 2) ant Fibonacci sequence; make the next term by a doiling the previous two $d_2 \Rightarrow 2, 4, 6, 10, 2, 6, 2,$ (ratio is 2) ant Fibonacci sequence; make the next term by a doiling the previous two $d_3 \Rightarrow 2, 2, 4, 6, 10, 2, 6, 2,$ (ratio is 2) ant Fibonacci sequence; make the next term by a doiling the previous two $d_3 \Rightarrow 2, 2, 4, 6, 10, 10, 6, 26, 42,$ Fibonacci sequence; make the next term by a doiling the previous two $d_3 \Rightarrow 2, 2, 4, 6, 10, 10, 6, 26, 42,$ Fibonacci sequence; make the next term by a doiling the previous two $d_4 \Rightarrow 2, 2, 4, 6, 10, 10, 6, 26, 42,$ $d_4 \Rightarrow 2, 2, 4, 6, 10, 10, 6, 26, 42,$ $d_5 \Rightarrow 2, 3,$ $d_7 \Rightarrow 2, 4, 6, 10, 10, 6, 26, 42,$ $d_7 \Rightarrow 2, 4, 6, 10, 10, 6, 26, 42,$ $d_7 \Rightarrow 2, 4, 6, 10, 10, 6, 26, 42,$ $d_7 \Rightarrow 2, 4, 6, 10, 10, 6, 26, 42,$ $d_7 \Rightarrow 2, 4, 6, 10, 10, 26, 42,$ $d_7 \Rightarrow 2,$	:	One linear, one quadratic; $(n + 2n - 10)$		Missing angle: $\cos A = \frac{S}{2}$	2 <i>bc</i>	90	1	0
Rearrange the linear, and substitute into the quadratic x = 10 - 3y so $(10 - 3y)^2 + y^2 = 20$ Expand and solve the quadratic $100 - 60y + 9y^2 + y^2 = 20$ $10y^2 - 60y + 80 = 0$ y = 2  or  y = 4 Finally, substitute into the linear and solve, pairing values $x + 3 \times 2 = 10$ so $(x, y) = (4, 2)$ $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a sequences A24, A25 mth term of an arithmetic (linear) sequence is $an + c$ $\Rightarrow$ <i>n</i> th term of 5, 8, 11, 14, is $3n+2$ (always increases by 3 first term is a quadratic sequence is $an^2 + bn + c$ $\Rightarrow$ <i>first three terms of</i> $n^2 + 3n - 1$ are $3, 9, 17,$ Geometric sequence; multiply each term by a constant ratio $\Rightarrow$ 2, 4, 6, 10, 16, 26, 42, d. $\Rightarrow$ 2, 2, 4, 6, 10, 16, 26, 42, d. $\Rightarrow$ 2, 4,			Circle theorems					
Expand and solve the quadratic $100 - 60y + 9y^2 + y^2 = 20$ $10y^2 - 60y + 80 = 0$ y = 2  or  y = 4 Finally, substitute into the linear and solve, pairing values $x + 3 \times 2 = 10$ so $(x, y) = (4, 2)$ $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 2 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 2 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 2 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 2 \times 4 = 10$ so $(x, y) = (-2, 4)$ Angle in a $x + 2 \times 5$ Angle at the centre $x + 2 \times 5$ Area of triangle $= \frac{1}{2}absinC$ Area of triangle $= \frac{1}{2}absinC$ Area of triangle $= \frac{1}{2}absinC$ Area of sector $= \frac{\theta}{360^{\circ}} \times \pi \times D$ Area of sector $= \frac{\theta}{360^{\circ}} \times \pi \times T^{2}$ Volume of prism = area of cross section × length volume of fustum is difference between the volume of fustum is difference between the volume of prism = area of cross section × length volume of prism = area of cross section × length v		Rearrange the linear, and substitute into the quadratic x = 10 - 3y			c		e	
Finally, substitute into the linear and solve, pairing values $x + 3 \times 2 = 10$ so $(x, y) = (4, 2)$ $x + 3 \times 4 = 10$ so $(x, y) = (4, 2)$ $x + 3 \times 4 = 10$ so $(x, y) = (-2, 4)$ ar Sequences A24, A25 3 ar Sequences $A24, A25$ 3 ar therm of an arithmetic (linear) sequence is $bn + c$ $\Rightarrow$ <i>n</i> th term of 5, 8, 11, 14, is $3n+2$ (always increases by 3 first term is $3 \times 1 + 2 = 5$ ) <i>n</i> th term of a quadratic sequence is $an^2 + bn + c$ $\Rightarrow$ First three terms of $n^2 + 3n - 1$ are 3, 9, 17, Geometric sequence; multiply each term by a constant ratio $\Rightarrow$ 3, 6, 12, 24, (ratio is 2) Fibonacci sequence; make the next term by adding the previous two d. $\Rightarrow$ 2, 4, 6, 10, 16, 26, 42,		Expand and solve the quadratic $100 - 60y + 9y^2 + y^2 = 20$ $10y^2 - 60y + 80 = 0$				d	e	Y
Area of circle = $\pi \times r^2$ Area of triangle = $\frac{1}{2}absinC$ 3a first term of an arithmetic (linear) sequence is $bn + c$ $\Rightarrow$ nth term of 5, 8, 11, 14, is $3n+2$ (always increases by 3 first term is $3 \times 1 + 2 = 5$ ) nth term of a quadratic sequence is $an^2 + bn + c$ $\Rightarrow$ First three terms of $n^2 + 3n - 1$ are 3, 9, 17, Geometric sequence; multiply each term by a constant ratio $\Rightarrow$ 3, 6, 12, 24, (ratio is 2) Fibonacci sequence; make the next term by adding the previous two d. $\Rightarrow$ 2, 4, 6, 10, 16, 26, 42,Area and volumesArea of sector = $\frac{\theta}{360^\circ} \times \pi \times r^2$ Area of triangle = $\frac{1}{2}absinC$ $a$ $a$ $Area of trapezium = \frac{1}{2}(a + b) \times hbfArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =\frac{\theta}{360^\circ} \times \pi \times r^2Area of trapezium = \frac{1}{2}(a + b) \times hArea of sector =Area of trapezium = \frac{1}{2}(a + b) \times hArea of trapezium = \frac{1}{2}(a + b) \times hArea of sector =Area of trapezium = \frac{1}{2}(a + b) \times hArea of$		Finally, substitute into the linear and solve, pairing values $x + 3 \times 2 = 10$ so $(x, y) = (4, 2)$	semicircle is 90° is doub	le the angle same segment	cyclic quadrila	ateral segm	ient	
3anth term of an arithmetic (linear) sequence is $bn + c$ $\Rightarrow$ nth term of 5, 8, 11, 14, is $3n+2$ (always increases by 3 first term is $3 \times 1 + 2 = 5$ ) nth term of a quadratic sequence is $an^2 + bn + c$ $\Rightarrow$ First three terms of $n^2 + 3n - 1$ are 3, 9, 17, Geometric sequence; multiply each term by a constant ratio $\Rightarrow$ 3, 6, 12, 24, (ratio is 2) Fibonacci sequence; make the next term by adding the previous two $\Rightarrow$ 2, 4, 6, 10, 16, 26, 42,Circumference of circle $= \pi \times r^2$ $radius$ $\theta$ Area of triangle $= \frac{1}{2}absinC$ $a$ $\theta$ a3Area of circle $= \pi \times r^2$ $\theta$ Area of triangle $= \frac{1}{2}absinC$ $a$ $a$ $b$ $a$ $c$ $b$ $a$ $b$ $a$ $c$ $b$ $a$ $c$ $b$ $a$ $c$ $b$ $a$ $c$ $b$ $a$ $c$ $b$ $a$ $c$ $b$ $a$ $c$ $c$ $b$ $a$ $c$ <br< td=""><td>ar</td><td></td><td>Areas and volumes</td><td></td><td></td><td></td><td></td><td>(</td></br<>	ar		Areas and volumes					(
Area of circle = $\pi \times r^2$ Area of trapezium = $\frac{1}{2}(a + b) \times h$ Area of trapezi				$\times D$ Area of triangle = $\frac{1}{2}absize$	nC a	~		
$n^2 + 3n - 1$ are 3, 9, 17, Geometric sequence; multiply each term by a constant ratio $\rightarrow$ 3, 6, 12, 24, (ratio is 2) Fibonacci sequence; make the next term by adding the previous twoArea of sector $= \frac{\theta}{360^\circ} \times \pi \times r^2$ Volume of prism = area of cross section × length Volume of frustum is difference between the volume G7, G8Volu Similar shapesd. $\rightarrow$ 2, 4, 6, 10, 16, 26, 42,Fibonacci sequence; make the next term by adding the previous twoG7, G8Similar shapes	3	sequence is $bn + c$ $\rightarrow$ nth term of 5, 8, 11, 14, is $3n+2$ (always increases by 3 first term is $3 \times 1 + 2 = 5$ ) nth term of a quadratic sequence is	radiu O		h	section	Length (	
5       bit of the sequence, matrixing each term by a constant ratio       → 3, 6, 12, 24, (ratio is 2)       Volume of frustum is difference between the volume of frustum is dis difference between the volume of frustum is		First three terms of			2			
AtFibonacci sequence; make the next term by adding the previous twoTransformationsG7, G8d.→ 2, 4, 6, 10, 16, 26, 42,ReflectionRotationEnlargementRatios in similar singles	5	Geometric sequence; multiply each term by a constant ratio	Area of sector $=\frac{1}{360^{\circ}} \times \pi$	× r <sup>2</sup> Volume of prism = are Volu		-		
term by adding the previous two d. → 2, 4, 6, 10, 16, 26, 42, Reflection Reflection Reflection Reflection Rotation Rotation Centre of rotation Reflection R	at		Transformations		G7,	, G8 Sim	ilar shap	es
	d.	term by adding the previous two	• Line of reflection • Cent	re of rotation • Cent	re of enlargement	t • Ler	ngth/perii	

Angle of rotation

Translation

Vector

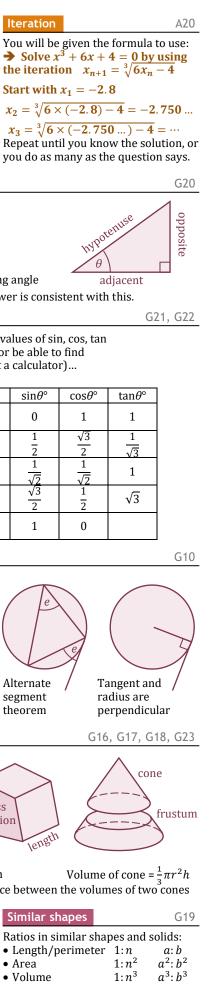
• Scale factor (if -1 < SF < 1

• Clockwise or anticlockwise the shape will get smaller).

Area

Volume

Mildenhall College Academy



Percentages: multipliers R9, R16
Percentage increase or decrease; use a multiplier (powers for repetition) → Initially there were 20 000 fish in a lake. The number decreases by 15% each year. Estimate the number of fish after 6 years. 20 000 × 0.85 <sup>6</sup> = 7500 (2sf)
Formula for compound interest $r > n$
Total accrued = $P\left(1 + \frac{r}{100}\right)^n$
→ I invest £600 at 3% compound interest. What is my account worth after 5 years? $\pounds 600 \times \left(1 + \frac{3}{100}\right)^5 = \pounds 695.56$
( 200)
Direct & inverse proportion R10
y is directly proportional to x: y = kx for a constant k $\Rightarrow$ b is directly proportional to $a^2$ a = 6 when $b = 90$ Find b if $a = 8b = ka^2 a = 6 and b = 90 for k90 = k \times 6^2 so k = 2.5, b = 2.5a^2b = 2.5 \times 8^2 = 160y is inversely proportional to x$
$yx = k$ or $y = \frac{k}{x}$ for a constant k
Probability rules P8, P9
Multiply for independent events P(6 on dice and H on coin) $\frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$ Add for mutually exclusive events P(5 or 6 on dice) $\frac{1}{6} + \frac{1}{6} = \frac{2}{6}$
Apply these rules to tree diagrams.
In general P(A  or  B) = P(A) + P(B) - P(A  and  B) $P(A \text{ and } B) = P(A \text{ given } B) \times P(B)$
Histograms S3
Frequency = frequency density multiplied by class width. This means that bars with the same frequency have the same area.
titequency density ednareas: ednareas: ednareas:
Box plots S4
Interquartile range (IQR) = UQ – LQ

minimum lower quartile (LQ)

median

upper quartile (UQ)

maximum